

What is the long-run response to an increase in aggregate demand?

In the short run, the price level increases and output increases.

But in the new short-run equilibrium, $P > p^e$: the actual price level exceeds the expected price level.

Workers will recognize this discrepancy and adjust their expectations upwards: p^e will increase.

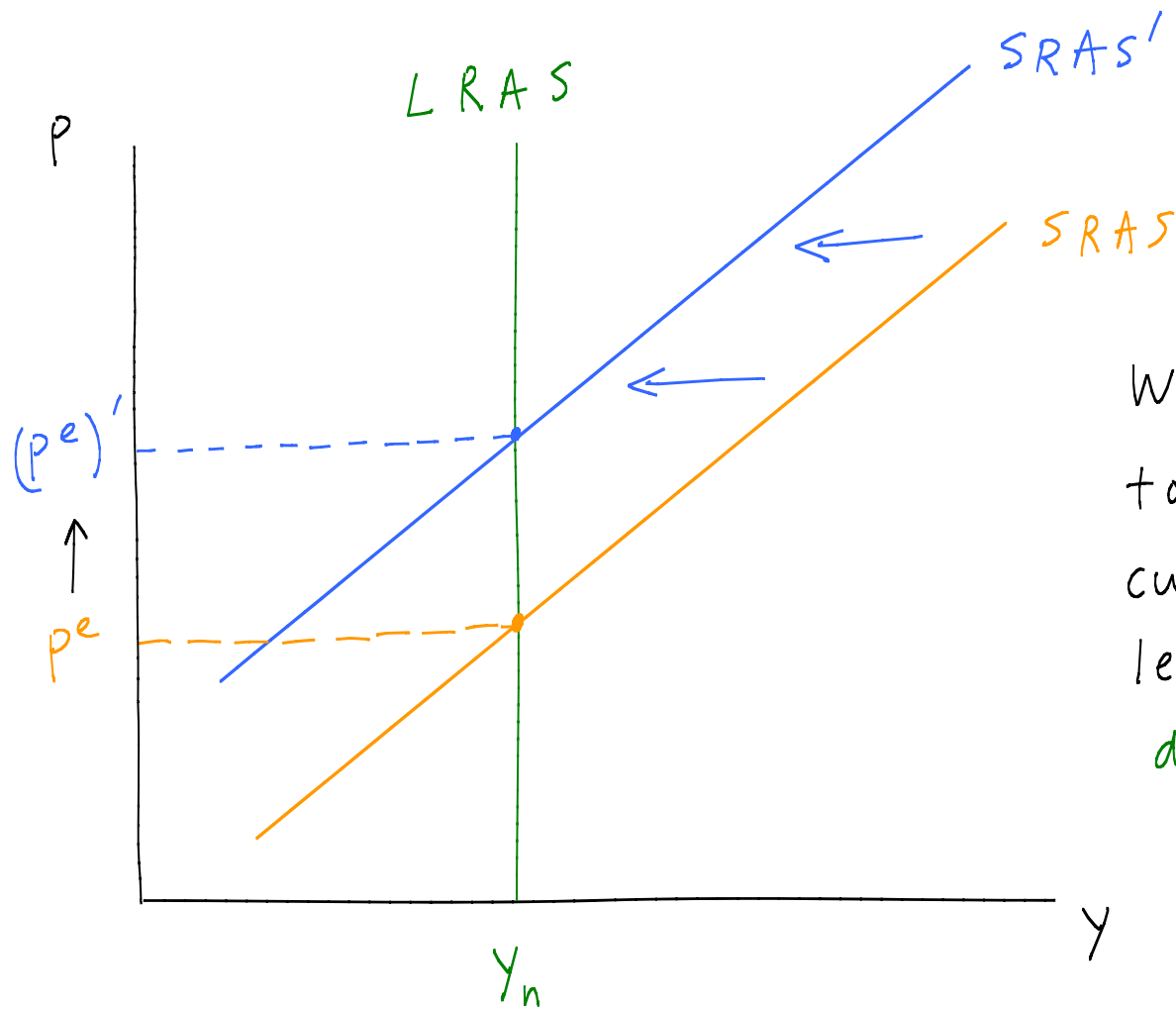
How does an increase in the expected price level shift the SRAS curve?

- Again, the equation of the SRAS curve is:

$$P = (1 + \beta) p^e (1 - \alpha u + z)$$

- Holding P fixed (for the moment), if p^e increases, then u must increase for this equation to hold. $u \uparrow \Rightarrow Y \downarrow$, so an increase in p^e shifts the SRAS curve to the left: there is a decrease in aggregate supply at any price P .
- An increase in p^e increases the nominal wage (wage-setting relation). But if P is held fixed, the nominal wage can't move (price-setting relation). So u must increase to offset the increase in p^e in the wage-setting relation.

An increase in p^e shifts the SRAS curve to the left:



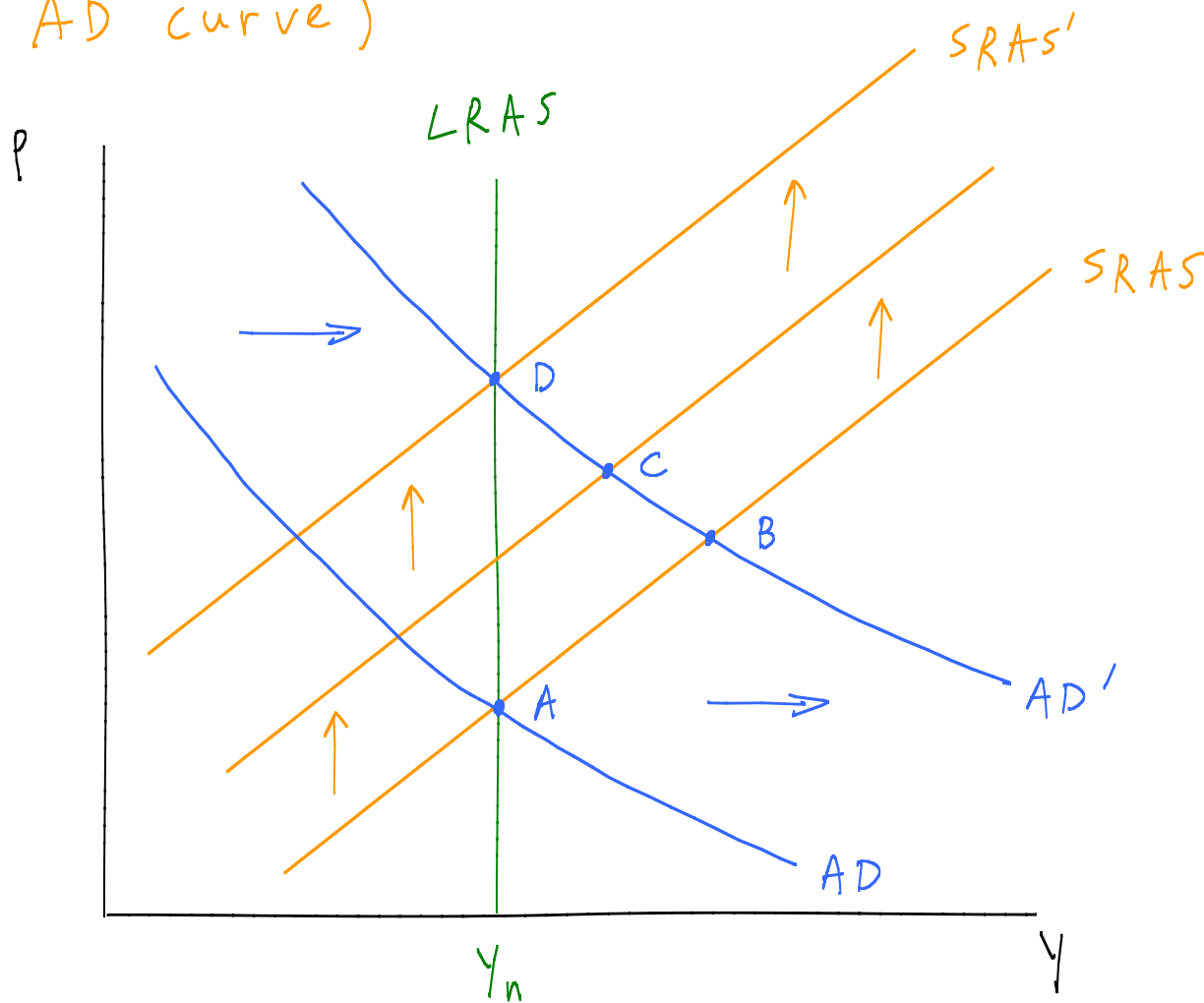
When p^e increases to $(p^e)'$, the $SRAS$ curve shifts to the left (when p^e decreases, it shifts to the right).

Adjustment of price expectations

After a **shock** to aggregate demand or aggregate supply, the **actual** and **expected** price levels **diverge** temporarily.

But the expected price level **adjusts** in response to this discrepancy (**between actual and expected price**). Eventually, the economy returns to a long-run equilibrium in which $P = P^e$. In other words, **eventually** the economy returns to the point where the AD, SRAS, and LRAS curves all intersect.

Short-run and long-run responses to an increase in aggregate demand (i.e., a shift to the right of the AD curve).



The economy starts at point A. When the AD curve shifts out, the economy moves to point B (P^e remains fixed at the initial price level). Because $P > P^e$ at point B, P^e increases, shifting the SRAS curve up. The economy moves to point C, where again $P > P^e$ (which remains fixed at the price associated with point B).
↙

Eventually, the economy reaches point D, where $P = P^e$.

Summary of responses to an increase in aggregate demand

1. Short run (points B and C): $Y \uparrow$ $P \uparrow$ $u \downarrow$ (because $Y \uparrow$).

$$\frac{w}{p} = \frac{1}{1+\beta} \quad \text{unchanged} \\ \text{(no change in } \beta \text{)}.$$

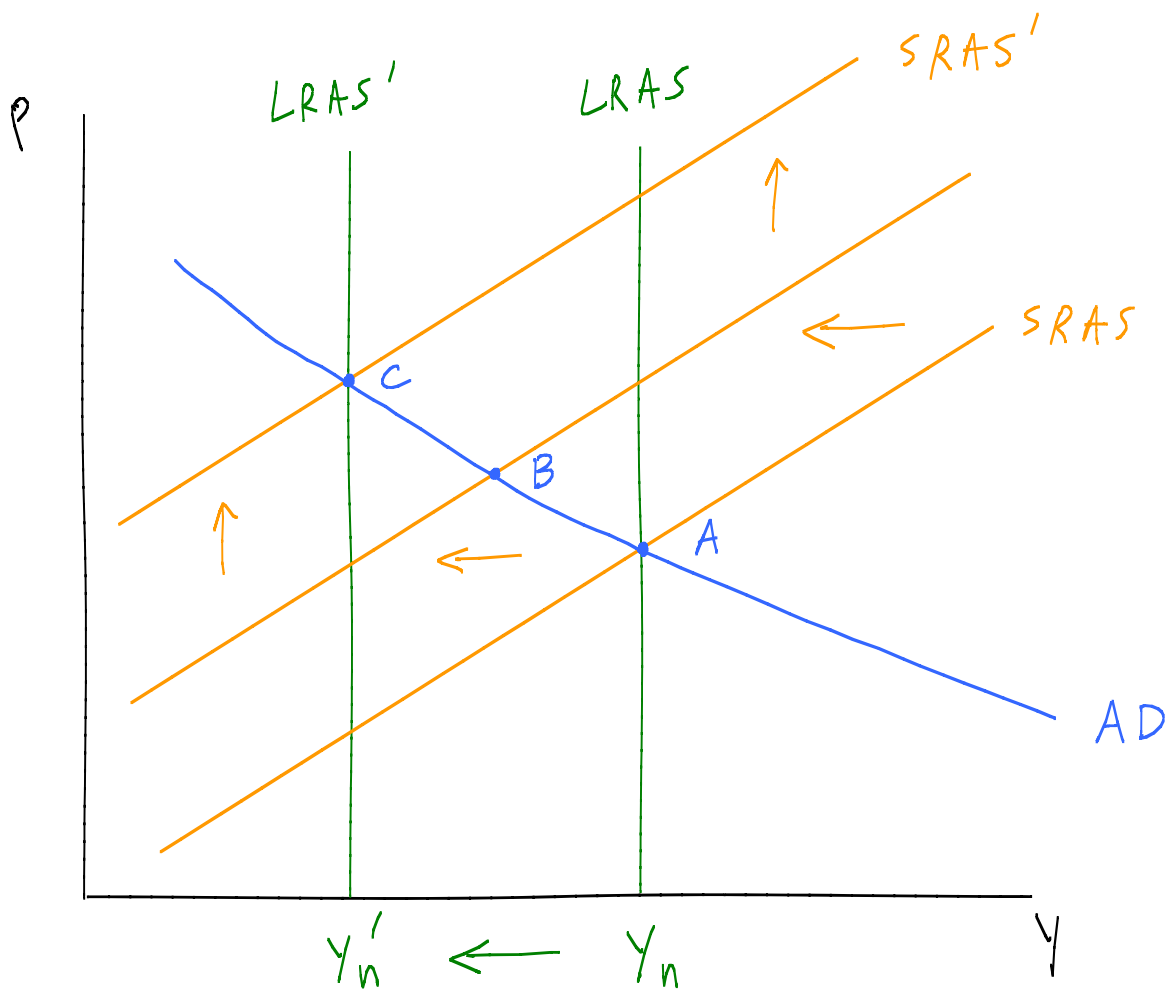
$w \uparrow$ because $P \uparrow$ and $\frac{w}{p}$ is unchanged.

2. Long run (point D): $P \uparrow$ but no change in either Y or u (Y returns to Y_n and u returns to u_n).

$$\frac{w}{p} = \frac{1}{1+\beta} \quad \text{unchanged.}$$

$w \uparrow$ because $P \uparrow$ and $\frac{w}{p}$ is unchanged.

Short-run and long-run responses to a decrease in aggregate supply (i.e., a shift to the left of the SRAS curve, thanks to an increase in the markup β)



The economy begins at point A. When β increases, the SRAS curve shifts to the left, and the economy moves to point B (P^e remains fixed at the initial price level). Because $P > P^e$ at point B, P^e increases, shifting the SRAS curve upwards. Eventually, the economy reaches point C, where $P = P^e$. Remember that the increase in β also reduces Y_n (and increases u_n), shifting the LRAS curve to the left.

Summary of responses to an increase in the markup β

1. Short run (point B): $Y \downarrow$, $P \uparrow$, $u \uparrow$ (because $Y \downarrow$).

$$\frac{w}{p} = \frac{1}{1+\beta} \downarrow \text{ (because } \beta \uparrow \text{)}.$$

$w = p^e (1 - au + z)$, so $w \downarrow$ because $u \uparrow$ and p^e has not (yet) adjusted.

2. Long run (point C): $Y = Y'_n < Y_n$: Y falls because the increase in β increases u_n .

Similarly, $u = u'_n > u_n$: u increases.

$P \uparrow$. $\frac{w}{p} = \frac{1}{1+\beta}$, so $\frac{w}{p}$ falls.

Not clear (without a more detailed analysis) what happens to $w = p(1 - au + z)$: $P \uparrow$ and $u \uparrow$ have opposite effects on the nominal wage.